

# A Cryogenic Linear Paul Trap For Quantum Simulation

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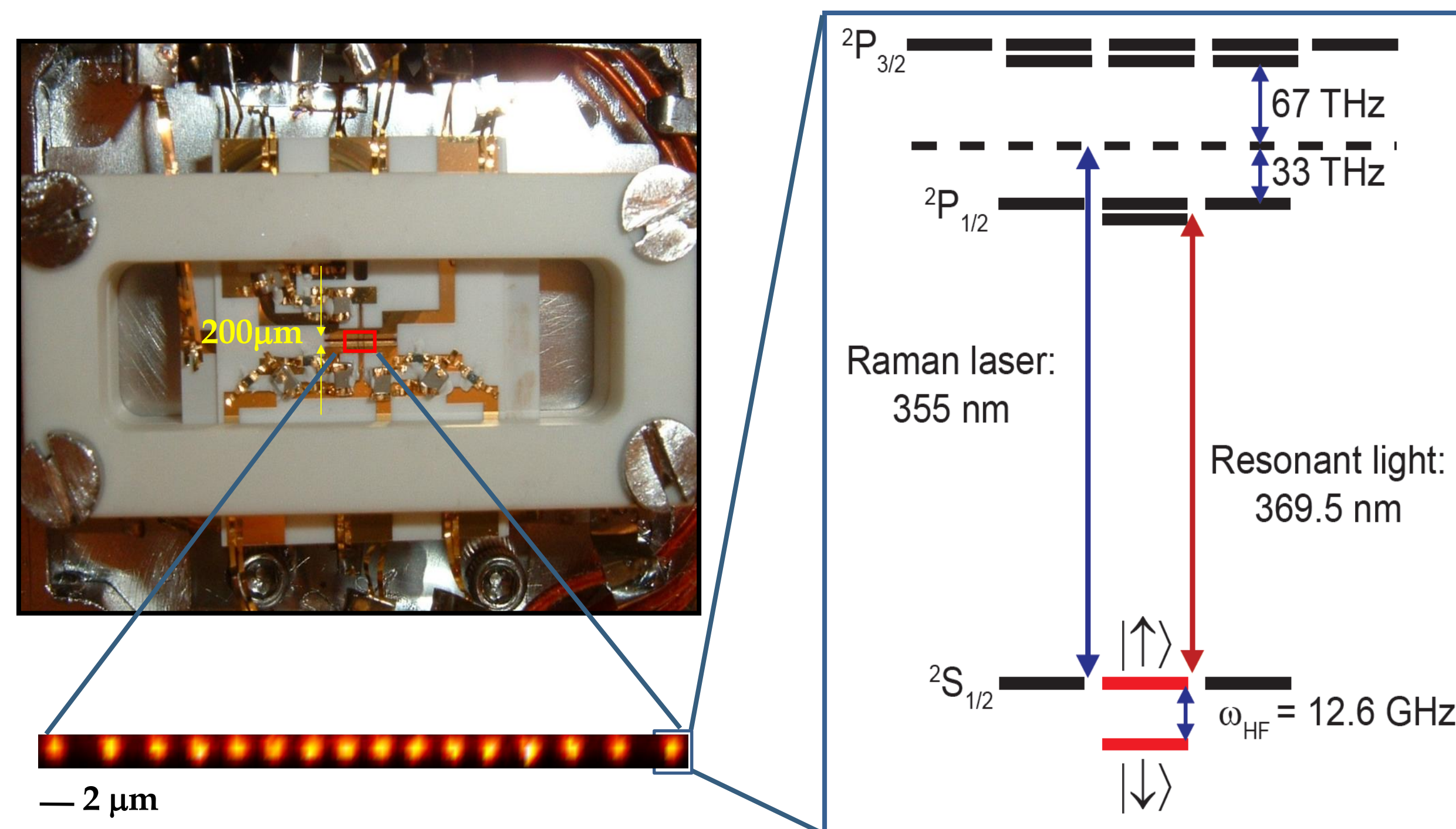
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## Simulating Quantum Spin Models

Trapped  $^{171}\text{Yb}^+$  ions provide an excellent platform for simulating quantum magnetism. With current technology, such a quantum simulator can be used to study many-body phenomena like quantum phase transitions, frustrated quantum systems, ground state magnetic spin phases, or excited state dynamics [1].

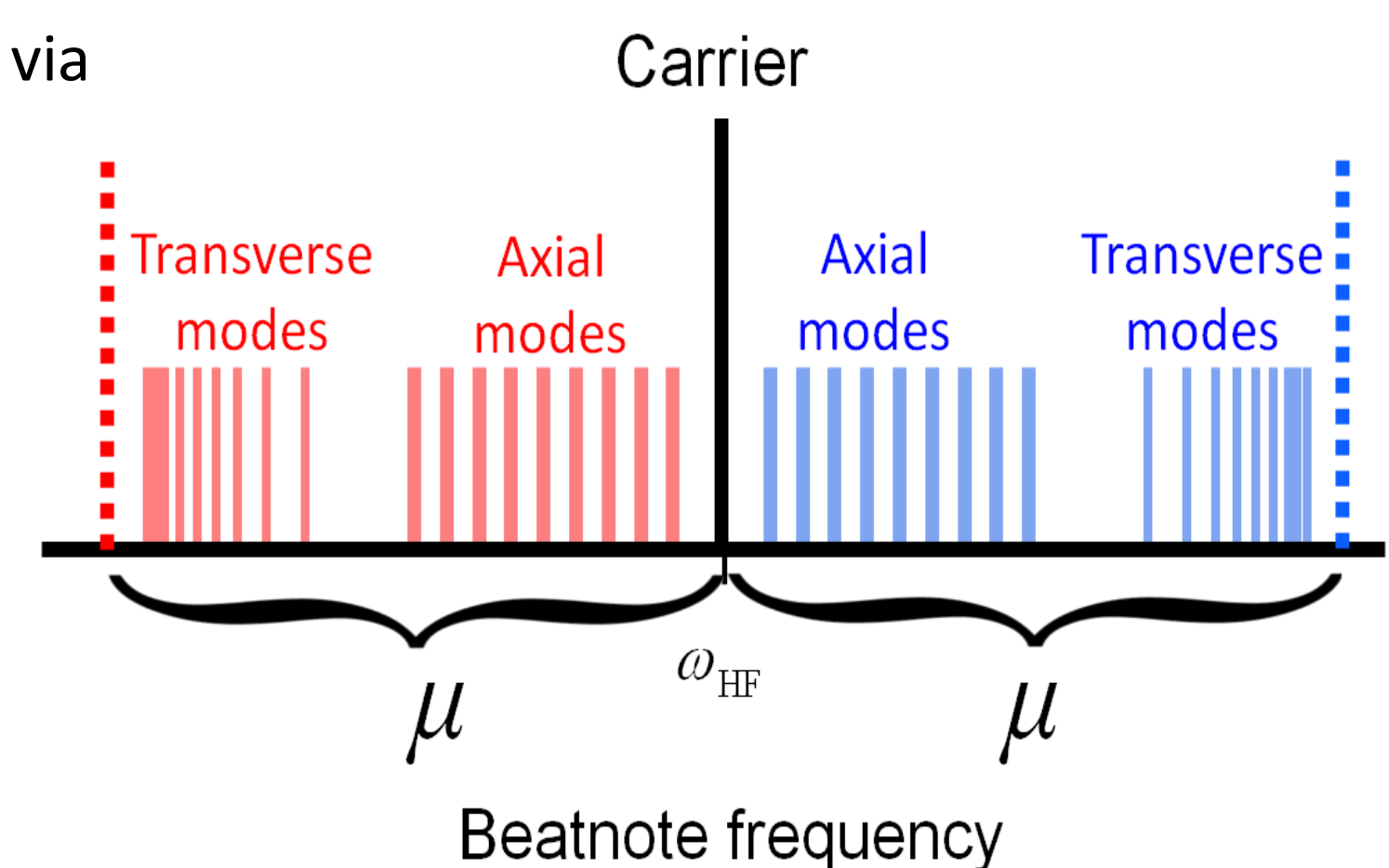
### An Isolated Quantum System

The effective spin-1/2 qubit is encoded in the hyperfine clock states of  $^{171}\text{Yb}^+$ . Resonant laser beams allow for cooling, state preparation, and measurement, with spin-dependent fluorescence captured on a camera.



### Engineering Long-Range Spin-Spin Couplings

Counter-propagating laser beams at 355 nm allow for coupling of spin and motion via stimulated Raman transitions. Coupling to both red and blue sidebands simultaneously generates a spin-dependent force via the Mølmer-Sørensen process [2].



$$H_{\text{eff}} = \sum_{i \neq j} J_{ij} \hat{\sigma}_x^{(i)} \hat{\sigma}_x^{(j)}$$

$$J_{ij} = \frac{\hbar \Omega_i \Omega_j (\Delta k)^2}{2m} \sum_k \frac{b_i^k b_j^k}{\mu^2 - \omega_k^2} \approx \frac{J_0}{|i-j|^\alpha}$$

[1] See K. Kim et al., NJP **13**, 105003 (2011) and references therein  
[2] K. Mølmer and A. Sørensen PRL **82**, 1835 (1999).

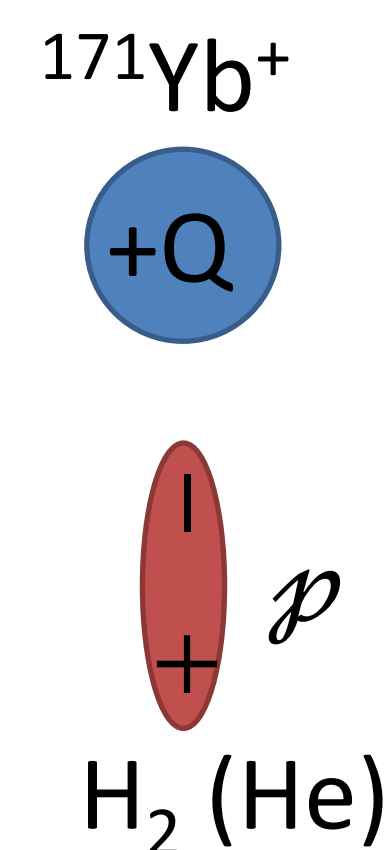
## Increasing the Number of Ions

Our ability to coherently drive chains of more than 20 ions is currently limited by collisions with residual background gas. For a chain of this length the time between collisions is comparable to the time to recapture and stabilize the ion crystal.

### Langevin Collision Rate

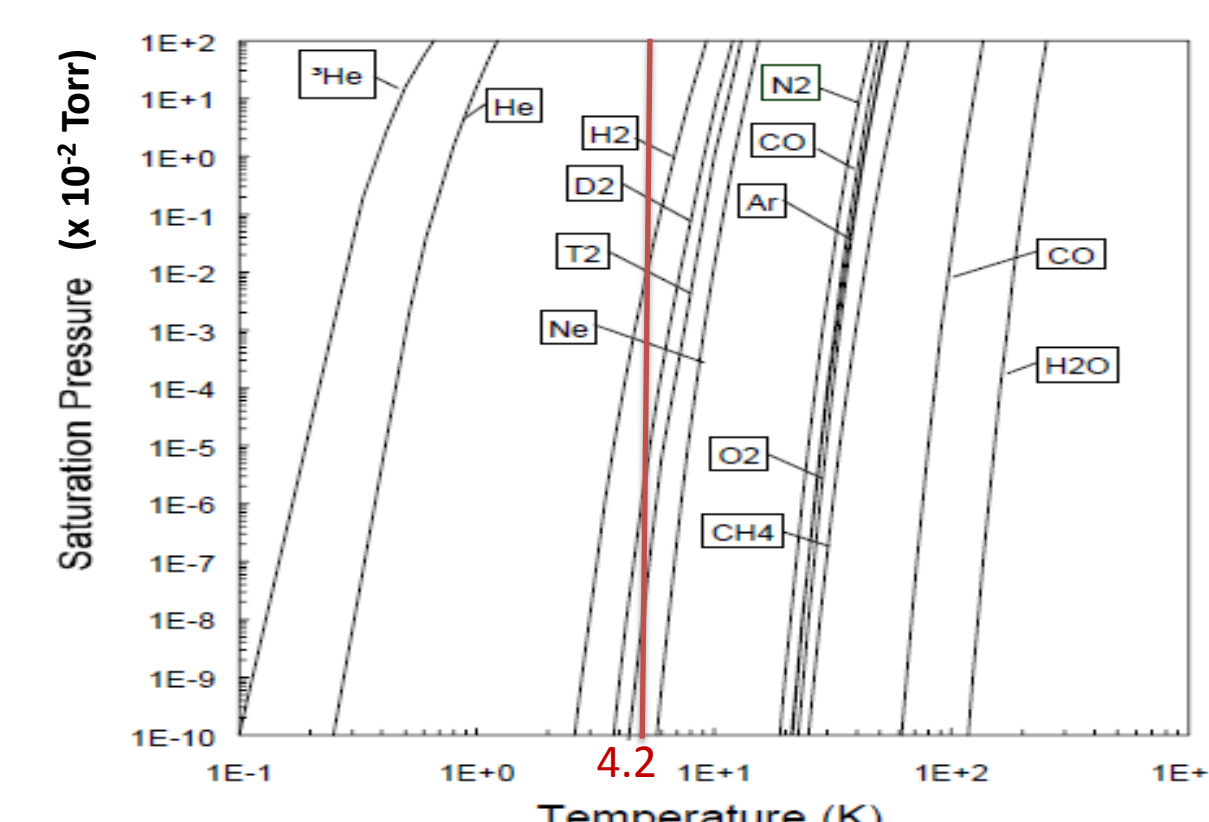
$$\gamma \approx \frac{PQ}{k_B T} \sqrt{\frac{p\pi}{2m\epsilon_0}}$$

$P$  = Pressure  
 $Q$  = Ion Charge  
 $p$  =  $\text{H}_2$  or He Polarizability  
 $m$  = Mass of  $\text{H}_2$  or He



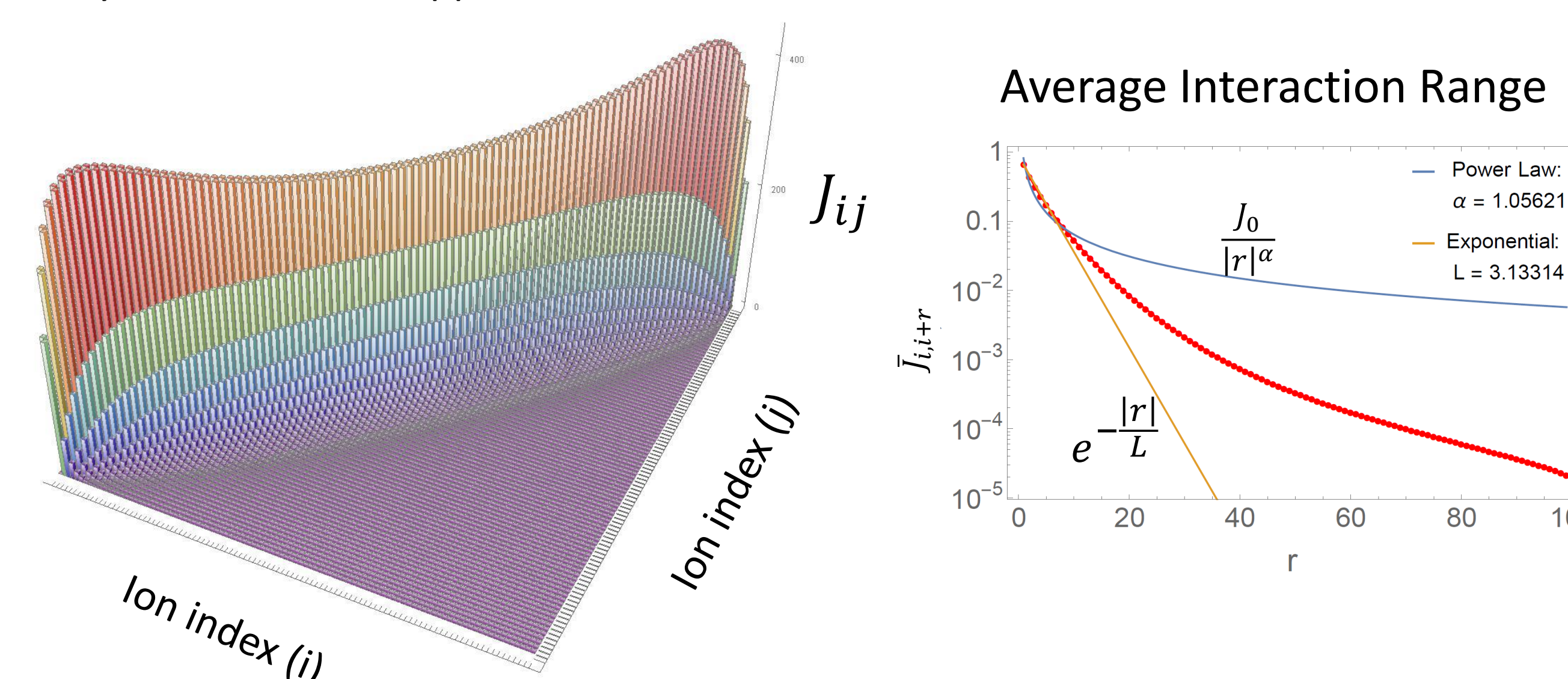
$\Rightarrow$  1 collision every 2 min for 20 ions @ 300 K and  $1 \times 10^{-11}$  Torr

### Cryopump to Reduce Pressure

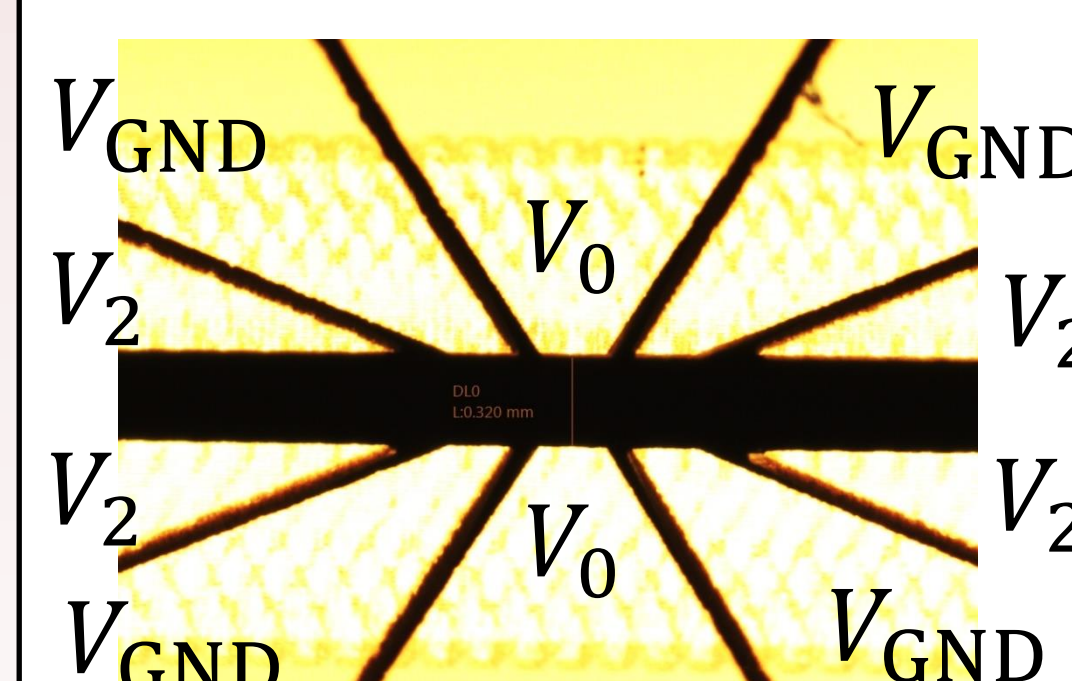


### Spin-Spin Coupling Matrix for 100 Ions

The Spin-Spin coupling matrix  $J_{ij}$  can be tuned from an infinite range "all-to-all" to an  $|i-j|^{-3}$  "dipolar" coupling. For long range couplings ( $\alpha < 2$ ) the fit to a power law decay becomes more approximate.



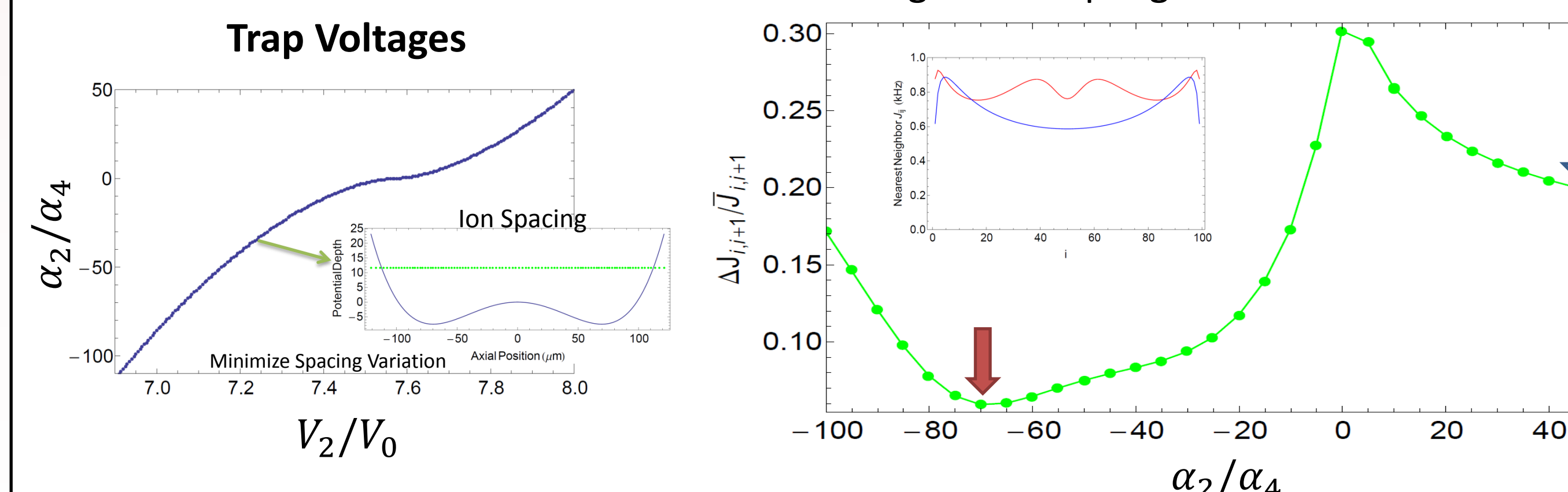
### Shaping the Interaction with Quartic Potentials



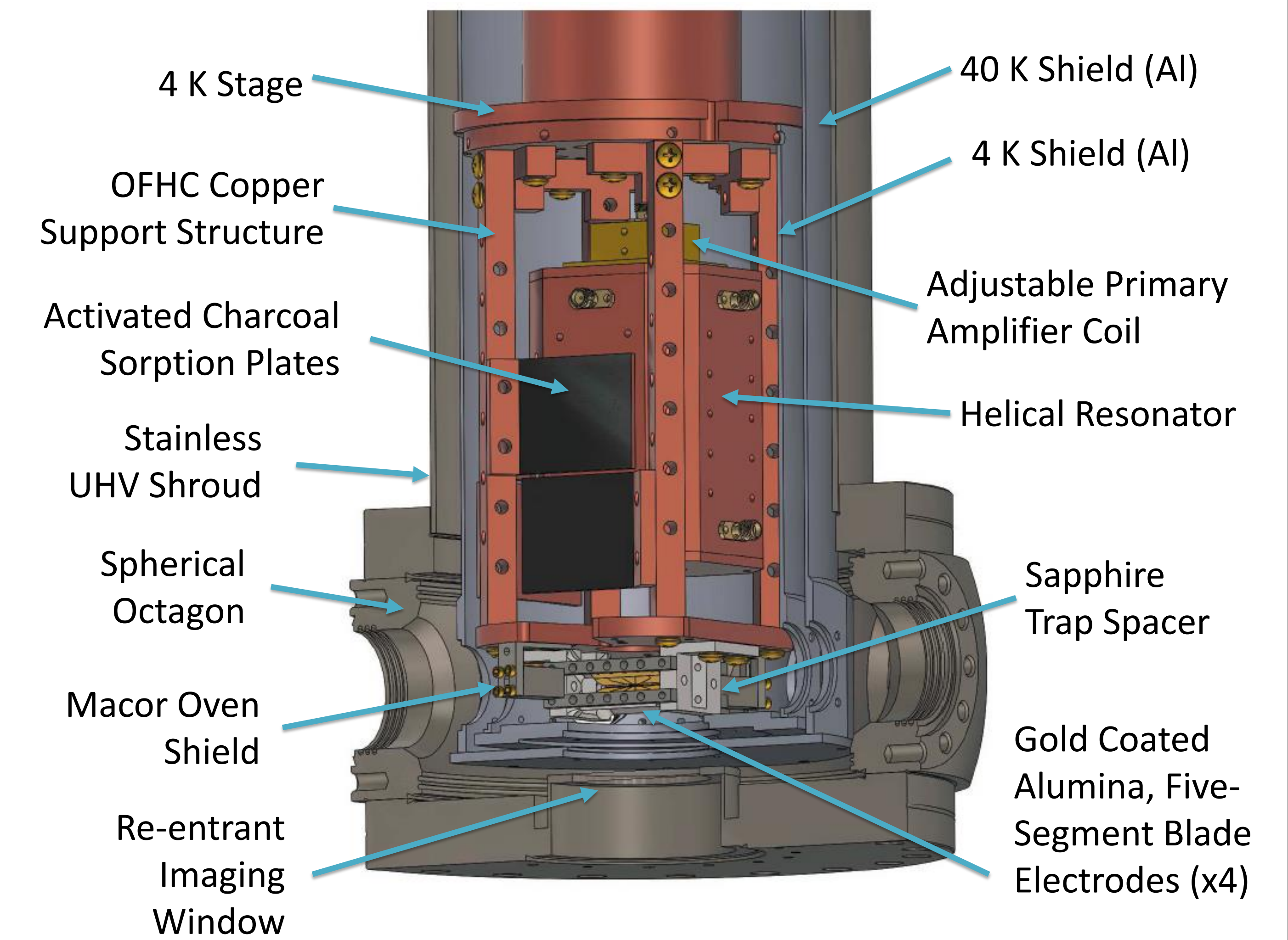
By generating a quartic axial potential from our 5 segment trap, we can tune the ion spacing, normal mode structure, and coupling matrix.

$$U = \frac{1}{2} M \omega_A^2 \left( \alpha_2 z^2 + \frac{\alpha_4}{2l^2} z^4 \right)$$

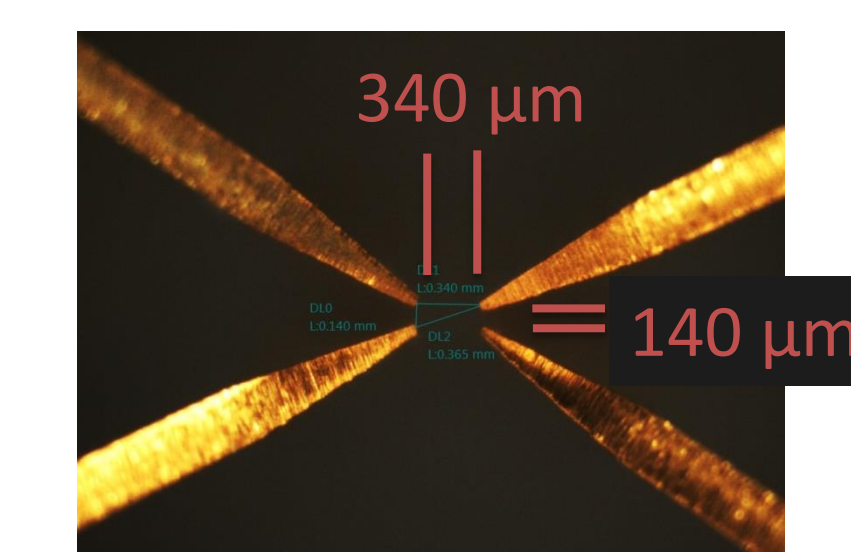
For example, we can minimize the variation in nearest neighbor coupling across the ion chain.



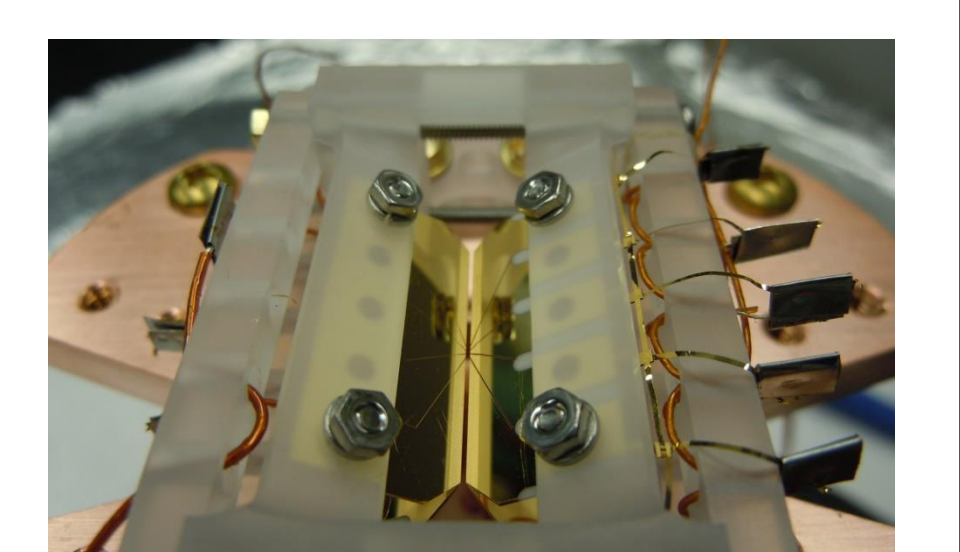
## Cryostat and Trap Construction



Hand aligned blade trap 360 μm between RF blades



Optically open trap design for high NA  $\leq 0.6$  light collection



### Thermal Management and Vibration Control

Source	Heat Load Estimate
Blackbody - 40 K Shield	< 1 mW
Blackbody - 1" Windows	< 1 mW
Wiring	< 1 mW
Oven	$\sim 1 \text{ W}$ (Transient)
RF Drive	$\sim 500 \text{ mW}$
Lasers	$\sim 100 \text{ mW}$
Cooling Power	$\sim 700 \text{ mW}$

Cryostat designed to maximize cooling power at 4.2 K while minimizing vibrations on sample stage.

He exchange gas chamber provides the thermal link between cold head and vacuum chamber 4K stage.  $\Rightarrow$  Vibrations < 100 nm

Careful optimization will be necessary to manage RF and oven heat loads

